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# NICER Discovers the Ultracompact Orbit of the Accreting Millisecond Pulsar IGR J17062–6143

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## Abstract

We present results of recent *Neutron Star Interior Composition Explorer* (*NICER*) observations of the accreting millisecond X-ray pulsar (AMXP) IGR J17062–6143 that show that it resides in a circular, ultracompact binary with a 38-minute orbital period. *NICER* observed the source for  $\approx 26$  ks over a 5.3-day span in 2017 August, and again for 14 and 11 ks in 2017 October and November, respectively. A power spectral analysis of the August exposure confirms the previous detection of pulsations at 163.656 Hz in *Rossi X-ray Timing Explorer* (*RXTE*) data, and reveals phase modulation due to orbital motion of the neutron star. A coherent search for the orbital solution using the  $Z^2$  method finds a best-fitting circular orbit with a period of 2278.21 s (37.97 minutes), a projected semimajor axis of 0.00390 lt-s, and a barycentric pulsar frequency of 163.6561105 Hz. This is currently the shortest known orbital period for an AMXP. The mass function is  $9.12 \times 10^{-8} M_{\odot}$ , presently the smallest known for a stellar binary. The minimum donor mass ranges from  $\approx 0.005$  to  $0.007 M_{\odot}$  for a neutron star mass from 1.2 to  $2 M_{\odot}$ . Assuming mass transfer is driven by gravitational radiation, we find donor mass and binary inclination bounds of  $0.0175$ – $0.0155 M_{\odot}$  and  $19^{\circ} < i < 27.5^{\circ}$ , where the lower and upper bounds correspond to 1.4 and  $2 M_{\odot}$  neutron stars, respectively. Folding the data accounting for the orbital modulation reveals a sinusoidal profile with fractional amplitude  $2.04 \pm 0.11\%$  (0.3–3.2 keV).

**Key words:** stars: neutron – stars: oscillations (including pulsations) – stars: rotation – X-rays: binaries – X-rays: individual (IGR J17062–6143)

## 1. Introduction

The accreting neutron star binary IGR J17062–6143 (hereafter J1706) is one of the most recently identified accreting millisecond X-ray pulsars (AMXPs). First observed in outburst in 2006 (Churazov et al. 2007; Remillard & Levine 2008; Ricci et al. 2008), it has since then been persistently accreting at luminosities in the range  $(5.8\text{--}7.5) \times 10^{35} \text{ erg s}^{-1}$  (2–20 keV), assuming a distance of 7.3 kpc (Degenaar et al. 2013; Keek et al. 2017; Strohmayer & Keek 2017; van den Eijnden et al. 2018). The object's neutron star nature was first revealed by the detection of thermonuclear X-ray bursts. The first of these was observed by *Swift* in 2012 (Degenaar et al. 2013), and most recently Keek et al. (2017) reported on *Swift* observations of a long-duration burst first detected with the *Monitor of All-sky X-ray Image* (*MAXI*; Negoro et al. 2015) that was likely powered by burning of a deep helium layer. The properties of these long-duration (tens of minutes) thermonuclear X-ray bursts are consistent with the accumulation of

helium-rich material on the neutron star surface, which could be accommodated by accretion from a degenerate helium dwarf in an ultracompact system. However, accretion of hydrogen-rich fuel under certain conditions can also lead to thick, combustible helium layers, so the observation of apparently helium-powered nuclear flashes is not necessarily a definitive indication of an ultracompact system (Fujimoto et al. 1981; Galloway & Cumming 2006). Strohmayer & Keek (2017, hereafter SK17), reported the detection ( $4.3\sigma$ ) of 163.656 Hz pulsations in a single  $\approx 1200$  s observation with the *Rossi X-ray Timing Explorer* (*RXTE*; Bradt et al. 1993). They found a fractional pulsed amplitude (after background subtraction) of  $9.4 \pm 1.1\%$ , but could not determine the orbital period of the system due to the single, short *RXTE* observation. They were able to place a lower limit on the orbital period of about 17 minutes.

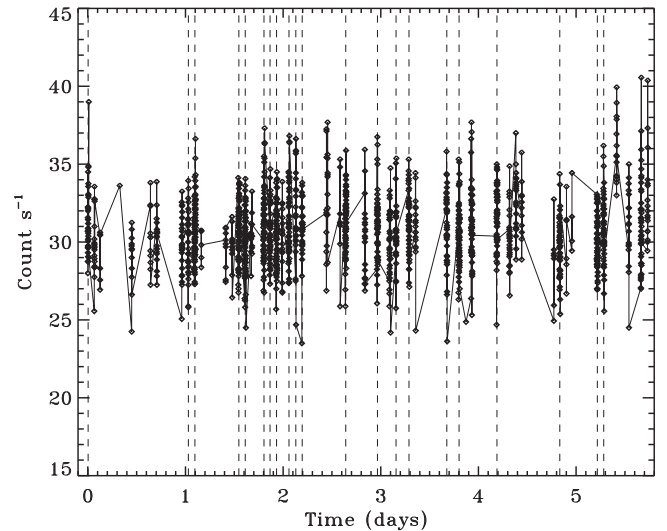
The source has recently been studied extensively with *Swift*, *NuSTAR*, *Chandra*, and *XMM-Newton*. For example, Degenaar et al. (2017) reported the presence of Fe K $\alpha$  reflection features

in *NuSTAR* data, the modeling of which suggested an inner disk that may be truncated out to  $\approx 100R_g$ , where  $R_g = GM/c^2$ . Most recently, van den Eijnden et al. (2018) present results of simultaneous *NuSTAR* and *XMM-Newton* observations. They report the presence of reflection features as well, and suggest a similarly truncated disk as in Degenaar et al. (2017). They note, however, that a disk extending down to the neutron star cannot be excluded if the binary inclination is very low. Based on analysis of *XMM-Newton* Reflection Grating Spectrometer data they also suggest that the system may have an oxygen-rich circumbinary environment, perhaps due to an outflow. Interestingly, they also searched for pulsations using the *XMM-Newton* EPIC timing mode data, but did not detect them. They placed an upper limit on the pulsed fraction in those data of 5.4% (0.5–10 keV). They concluded that the persistently faint X-ray luminosity could be indicative of either an ultracompact binary system or perhaps magnetic truncation, but the spectroscopic data alone were not decisive between these two possibilities. Hernandez Santisteban et al. (2018) have recently reported on broadband optical to near-infrared (NIR) photometry of J1706 that they modeled as emission from an irradiated accretion disk. Their modeling indicates an accretion disk size consistent with an ultracompact orbit, and they argued for an orbital period in the range from 0.4 to 1 hr. Additionally, their optical spectroscopy showed no H- $\alpha$  emission, consistent with a hydrogen-deficient donor and an ultracompact system. Thus, sensitive new timing observations to determine the binary orbital parameters, and the nature of the system, were clearly warranted.

In this Letter we report the results of recent *Neutron Star Interior Composition Explorer* (*NICER*) observations of J1706. The principal goals of the *NICER* observing campaign were to confirm (or not) the *RXTE* detection of 163.656 Hz pulsations and, if pulsations could be detected, to determine the system’s orbital parameters. We show below that the new *NICER* data confirm that J1706 is an 163.656 Hz pulsar, and also reveal an ultracompact orbit with similarities to other ultracompact AMXPs (Patruno & Watts 2012). The plan of the Letter is as follows. We first describe the observations, data selection, and our initial pulsation search and detection, confirming that J1706 is a 163.656 Hz pulsar. We next discuss our orbit search and detection, and we summarize the properties of the system given the orbit solution. We conclude with a brief summary and discussion of the implications of our findings for the nature of J1706.

## 2. *NICER* Observations and Pulsation Search

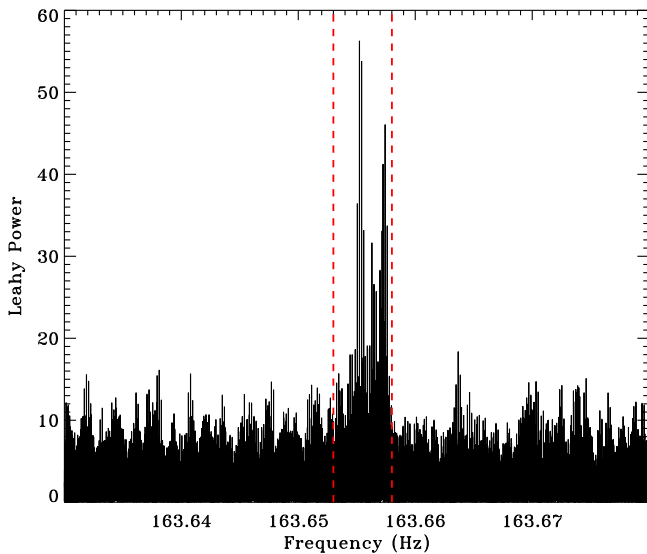
*NICER* was installed on the *International Space Station* (*ISS*) in 2017 June, and began full science operations after a one-month checkout and verification period. *NICER* is optimized for low-background, high-throughput, fast-timing observations across the 0.2–12 keV band (Gendreau et al. 2012), achieving an absolute timing precision of  $\approx 100$  ns with the aid of a GPS receiver. We obtained with *NICER* 26 ks of good exposure on J1706 in the time window spanning 2017 August 9–15. Additional observations were obtained in October and November, but we focused on the August data for our initial pulsation search. We processed and analyzed the data using HEASOFT version 6.22 and NICERDAS 2017-09-06\_V002. We barycentered the data using the tool *barycorr* employing the *DE200* solar system ephemeris and source coordinates R.A. = 256°5677, decl. = −61°7113 (Ricci et al.



**Figure 1.** Light curve of J1706 from *NICER* observations obtained in 2017 August. Data are the summed counting rates in 16 s bins in the 0.3–5 keV band. The vertical dashed lines mark the centers of 21 good time intervals used to compute average power spectra (see Section 2). Time zero is MJD 57974.8334963496 (TDB).

2008). After data processing and selection we identified 58 good time intervals of at least 50 s duration in the August data, for a total of 26 ks of on-source exposure. The on-source dwell times with *NICER* tend to be somewhat shorter than for free-flying, low-Earth orbit observatories. Figure 1 shows the resulting light curve accumulated in 16 s bins, and including events with energies in the range from 0.3 to 5 keV. The average count rate was  $\approx 31$  s $^{-1}$ , which is consistent with the expected rate estimated using source flux and spectra from recent observations (Degenaar et al. 2017; Keek et al. 2017). We do see evidence for variations in the background counting rates, particularly in the August data. This is most evident in the band above  $\approx 5$  keV. Based on the average count rate spectrum we estimate that the *NICER* background in the 0.3 to 5 keV band is, on average, less than the source count rate by a factor of  $\approx 15$ . We note that we did not observe any thermonuclear X-ray bursts from the source, but given the long recurrence time, this is not very surprising (Keek et al. 2017).

For our pulsation search we further limited the upper end of the energy band to 3.2 keV due to the higher backgrounds present in some dwells. Our choice here reflected a trade-off between either removing a substantial number of dwells completely or reducing the upper energy threshold somewhat, and thereby allowing us to utilize most of the dwells. To search for pulsations we computed a light curve (0.3–3.2 keV) of the full August data set sampled at 4096 Hz. This light curve spans 500 ks ( $\approx 5.8$  days) and has  $(5 \times 10^5) \times 4096 = 2.048 \times 10^9$  bins. We computed a fast Fourier transform (FFT) power spectrum of this light curve and searched in the frequency range in which pulsations were reported by SK17. Figure 2 shows the resulting power spectrum, normalized as in Leahy et al. (1983), in the vicinity of the 163.656 Hz pulse frequency. The red, vertical dashed lines denote the approximate range of pulse frequency detected in the *RXTE* observations. An excess of signal power consistent with this frequency range is clearly evident. The highest power in the plotted frequency range has a value of 56.3. The expected noise power distribution is a  $\chi^2$  distribution with 2 degrees of freedom. The probability to

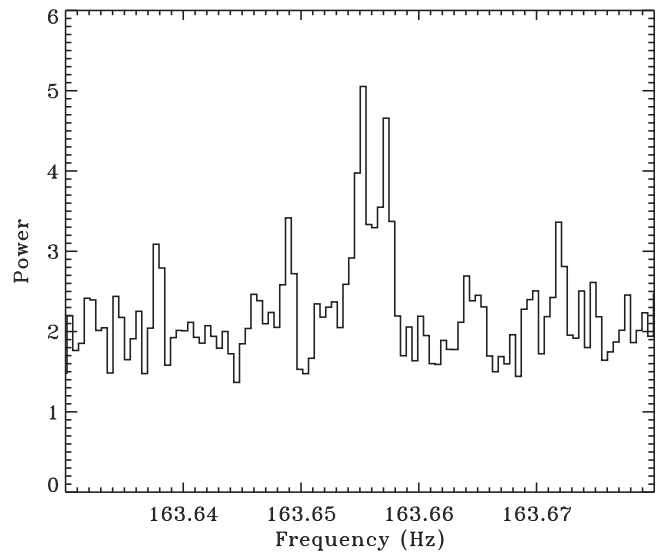


**Figure 2.** Power spectrum of J1706 from *NICER* observations obtained in 2017 August, in the vicinity of the pulse frequency detected with *RXTE* by SK17. The spectrum was computed from a light curve spanning 500 ks and sampled at 4096 Hz, and includes events in the 0.3–3.2 keV band. The 163.656 Hz pulsar peak is clearly evident. The vertical red lines indicate the approximate range of pulse frequency detected in the *RXTE* observations. See Section 2 for a detailed discussion of the pulsation search.

exceed this value (56.3) in a single trial is  $6 \times 10^{-13}$ . There are 15,000 frequency bins in the range from 163.64 to 163.67 Hz. This gives a chance occurrence probability of  $9 \times 10^{-9}$  for the highest observed power only. As additional excess powers are present as well, this is an extremely conservative significance estimate.

In Figure 2 one can see that the pulsar signal is comprised of two main sidebands, each of which is modulated by a number of finely spaced peaks. The first, most significant, sideband is that near the center of the frequency band denoted by the red, vertical lines, and the second is near the high end of the band. There is likely a third sideband midway between these two, but it is weak enough that it is harder to discern above the noise. The presence of such sidebands in the power spectrum is a strong indication of the presence of phase modulation due to orbital motion of the pulsar (Ransom et al. 2003). We do not detect any excess power at higher harmonics of the pulsar frequency. We note that the finely spaced peaks modulating each sideband are consistent with the *ISS* orbit period, thus these result from the incomplete sampling (gaps) in the time series, that is, *NICER*’s window function.

As a further test we also computed power spectra of some of the long individual on-source dwells, and then averaged these. We used 21 of the longest dwells, with exposures ranging from 1294 s (longest) to 545 s (shortest). These intervals are indicated in Figure 1 by vertical dashed lines drawn at the center of each interval. For each of these intervals we computed a light curve sampled at 4096 Hz and with a duration of 2048 s. Because this is longer than each of the individual exposures, we padded the light curves to 2048 s using the mean value determined from the good exposure in each dwell. This procedure ensures that the same Fourier frequency spacing is used for each interval and facilitates simple averaging of the resulting power spectra. We then computed FFT power spectra for each dwell and averaged them. The resulting power spectrum is shown in Figure 3, and clearly shows an excess of



**Figure 3.** Average power spectrum of J1706 from *NICER* observations obtained in 2017 August, in the vicinity of the 163.656 Hz pulsar frequency, computed from 21 on-source dwells with exposures ranging from 1294 s (longest) to 545 s (shortest). The pulsar signal is comprised of two dominant sidebands. See Section 2 for a detailed discussion of the pulsation search.

power at the same frequency as is evident in Figure 2. Indeed, we see the same basic signal structure of two dominant sidebands. Thus, *NICER* clearly detects pulsations from J1706 in a frequency range consistent with the earlier *RXTE* detection, and moreover, the sidebands in the power spectra are strongly indicative of accelerated motion of the pulsar.

### 3. Searching for the Orbit

Having recovered pulsations from J1706 with *NICER* we next began a search for the orbital parameters. The combination of a weak pulsed signal and relatively short uninterrupted exposures means that it is not really possible to closely track the pulse frequency variations with time around the orbit, particularly if the orbital period is short compared to the typical gap in exposure. It is therefore not possible to directly “see” the orbital frequency evolution with time in, for example, a dynamic power spectrum. This makes it more challenging to deduce the orbit. Nevertheless, orbital motion of the pulsar introduces periodic light travel time delays/advances that depend on its orbital phase. As noted above, these produce a characteristic sideband structure in power spectra computed from a light curve that samples at least several orbital periods (Ransom et al. 2003). In principle, one can measure the orbital period by detecting this sideband structure in the power spectrum, as the frequency spacing of the phase modulation sidebands is set by the orbital period. However, the complex window function (due to the data gaps) associated with *NICER*’s observing windows makes it challenging in the present case to directly infer the orbital period in this way.

Because of the challenges outlined above we employed a coherent grid search for the orbital parameters using the  $Z_n^2$  statistic (Buccheri et al. 1983; Strohmayer & Markwardt 2002), and because there is no evidence for harmonic signals we began by restricting the analysis to  $n = 1$ . The observed population of AMXPs are all in highly circular orbits; indeed, there are good theoretical arguments why this should be the case, so we began our search with circular orbit models. We also start with the assumption that the pulsar frequency does

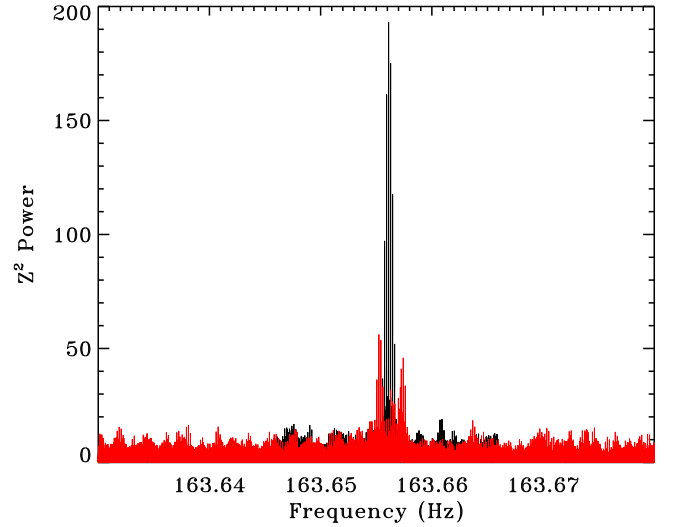


not vary significantly across the August data epoch. We used the Blandford & Teukolsky (1976) relativistic orbit model to parameterize the time delays, and with the assumption of circularity, we have a four-parameter search space; the pulsar frequency,  $\nu_0$ , projected semimajor axis,  $a_x \sin i/c$ , orbital period,  $P_{\text{orb}}$ , and the epoch of mean longitude equal to zero,  $T_0$ . Mean longitude is the orbit phase angle measured from the ascending node. For a circular orbit, the pulsar is “behind” the companion star at mean longitude of  $90^\circ$ . We evaluate the statistic

$$Z_1^2 = \left( \sum_{j=1}^N \cos \phi_j \right)^2 + \left( \sum_{j=1}^N \sin \phi_j \right)^2, \quad (1)$$

where  $\phi_j = \nu_0(t_j + \Delta t_{\text{BT}}(t_j, a_x \sin i/c, P_{\text{orb}}, T_0))$ ,  $\Delta t_{\text{BT}}$  is the binary time delay model (Blandford & Teukolsky 1976) as a function of orbital parameters, and  $t_j$  are the barycentric photon arrival times. Because such “brute force” searches can be computationally expensive, we began by searching a subset of the full August data set. For this we used the more densely sampled portion of the light curve, the portion of Figure 1 between about 1.5 and 2.2 days. We set up grids of values spanning the relevant ranges for each parameter. We used the recovered signal in the power spectra (Figures 2 and 3), as well as prior results to guide these choices. For example, SK17 used the *RXTE* data to place a lower limit on the orbital period of about 17 minutes. As noted above, the sideband structure in the power spectrum is suggestive of a compact orbit. Based on this we confined our initial search to orbital periods between 10 and 90 minutes. We used the power spectral results to bound both  $\nu_0$  and  $a_x \sin i/c$ . Finally, we employed a sampling in  $T_0$  equivalent to  $2^\circ$  of orbital phase. We then computed  $Z_1^2$  for all combinations of parameters to find candidate solutions with large  $Z_1^2$ . This procedure yielded a candidate orbit solution with  $Z_1^2 = 77.1$ , an orbital period of  $P_{\text{orb}} = 2278$  s,  $a_x \sin i/c = 0.00393$  lt-s, and  $\nu_0 = 163.65611055$  Hz. We did not find any other comparable  $Z_1^2$  maxima within the range of parameter space searched.

As this result was obtained from a subset of the August data, we next attempted to coherently add all of the additional August data segments. We did this by adding data segments one at a time into the total  $Z_1^2$  sum and then used the *IDL* function minimizer/maximizer *tnmin* to optimize the solution (Markwardt 2009). In each case  $Z_1^2$  increased in a monotonic fashion, and the orbit parameters remained consistent. Phasing up all of the August data in this way resulted in a peak value of  $Z_1^2 = 196.1$ . Recall that in the case of pure Poisson noise, the  $Z_1^2$  statistic is distributed as  $\chi^2$  with two degrees of freedom, and a value this high has a chance probability (single trial) of  $2.6 \times 10^{-43}$  ( $13.8\sigma$ ). The pulsed signal after accounting for the orbital phase delays is dramatically stronger than with no orbit correction, as expected. Figure 4 compares these two signals. The curves show  $Z_1^2$  evaluated on a grid of  $\nu_0$  with orbit phase delays included (black) and without (red). We note that, as in Figure 2, the modulating “comb” of finely spaced sub-peaks results from the observing window function. Using the full August data set we find the best orbital solution has  $P_{\text{orb}} = 2277.89 \pm 0.48$  s,  $a_x \sin i/c = 0.00395 \pm 0.0003$  lt-s,  $\nu_0 = 163.65611058 \pm 2.7 \times 10^{-7}$  Hz, and  $T_0 = \text{MJD } 57974.82835 \pm 0.0007$  (TDB), where we quote nominal  $3\sigma$  errors



**Figure 4.** Comparison of the  $Z_1^2$  signals for the August *NICER* data with and without the orbital phase delays. The curves show  $Z_1^2$  evaluated on a grid of pulsar frequency,  $\nu_0$ , with orbit phase delays included (black) and without (red). The orbit solution recovers a single coherent peak with  $Z_1^2 = 196.1$ , modulated by the window function imposed by visibility from the *ISS* orbit. See Section 3 for a detailed discussion of the orbit search.

**Table 1**  
Timing Parameters for IGR J17062–6143

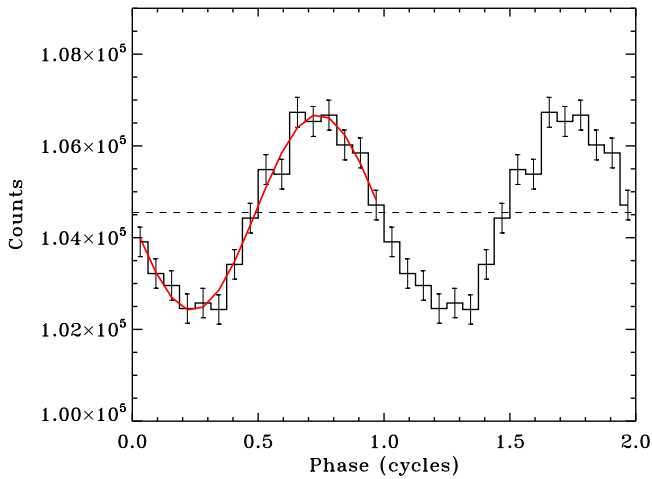
Parameter	Value
R.A., $\alpha$ (J2000)	256°5677
Decl., $\delta$ (J2000)	−61°7113
Barycentric pulse frequency, $\nu_0$ (Hz)	163.656110049(9)
Pulsar frequency derivative, $\dot{\nu}$ (Hz s <sup>−1</sup> )	$-6 \times 10^{-15} < \dot{\nu} < 4 \times 10^{-15}$
Projected semimajor axis, $a_x \sin(i)/c$ (lt-s)	0.0039(2)
Binary orbital period, $P_{\text{orb}}$ (s)	2278.208(12)
Time of mean longitude equal to zero, $T_0$	MJD 57974.82795(28) (TDB)
Orbital eccentricity, $e$	<0.03
Pulsar mass function, $f_x$ ( $10^{-8} M_\odot$ )	9.12(2)
Minimum donor mass, $m_d$ ( $M_\odot$ )	0.005–0.007
Maximum $Z_1^2$ power	355.4

**Note.** Parameter uncertainties for  $\nu_0$ ,  $a_x \sin(i)/c$ ,  $P_{\text{orb}}$ , and  $T_0$  are  $3\sigma$  ( $\Delta Z_1^2 = 9$ ) values, given in the last quoted digits. Limits for  $e$  and  $\dot{\nu}$  are  $1\sigma$ . The minimum donor mass range is for neutron star masses of 1.2 and  $2 M_\odot$ .

for a single parameter by finding the values for each parameter at which  $\Delta Z_1^2 = 9$  (Markwardt et al. 2002).

We then carried out similar analyses on the October and November data segments, treated separately, and found consistent results. Finally, we combined data across all epochs, and found a peak  $Z_1^2 = 355.4$ . We again determined confidence regions using  $\Delta Z_1^2 = 9$ , and found the best solution has  $P_{\text{orb}} = 2278.208 \pm 0.012$  s (37.97 minutes),  $a_x \sin i/c = 0.00389 \pm 0.0002$  lt-s,  $\nu_0 = 163.656110496 \pm 9 \times 10^{-9}$  Hz, and  $T_0 = \text{MJD } 57974.82795 \pm 0.00028$  (TDB). The timing solution is summarized in Table 1.

Next, we allowed the eccentricity,  $e$ , to be non-zero, but this did not result in a significant increase in  $Z_1^2$ , and we placed an upper limit on it of  $e < 0.03$  ( $1\sigma$ ,  $\Delta Z_1^2 = 1$ ). Using our best orbit solution we phase-folded all of the data, and fit the resulting pulse profile (0.3–3.2 keV) with a sinusoid,  $A + B \sin(\phi - \phi_0)$ . The fit is excellent, with a minimum



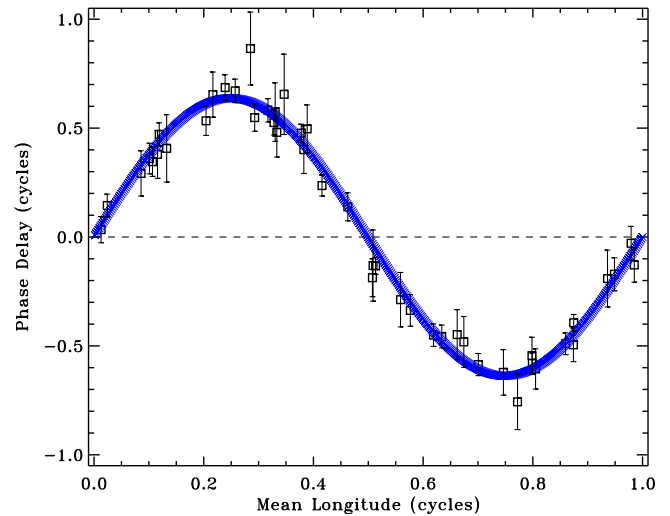
**Figure 5.** Pulse profile obtained after phase folding the August, October, and November *NICER* exposures of J1706 with the best-determined orbital solution. The profile includes events in the 0.3–3.2 keV range, and we used 16 phase bins. The best-fitting sinusoid,  $A + B \sin(\phi)$ , is also plotted (red). The fit has  $\chi^2 = 8.6$  with 13 degrees of freedom. The pulsed amplitude is  $B/A = 2.04 \pm 0.11\%$ .

$\chi^2 = 8.6$  (13 degrees of freedom), and the implied fractional pulsed amplitude is  $B/A = 2.04 \pm 0.11\%$ . Figure 5 shows the resulting pulse profile and fitted model. We did not detect any harmonic signals. We note that the pulsed amplitude measured with *NICER* is comfortably below the upper limits reached in the recent pulsation search with *XMM-Newton* reported by van den Eijnden et al. (2018), which likely explains why they did not detect the pulsations. We also computed pulse phase residuals using the best orbit solution. We show these in Figure 6, where we have added in the orbit-predicted phase delay in order to visually show the size of the delays. We did not find any statistically significant long-term trends in these residuals. Finally, we allowed for a constant pulsar spin frequency derivative,  $\dot{\nu}$ , in the timing model, and recomputed  $Z_1^2$  on a grid of  $\nu_0$  and  $\dot{\nu}$  values. We found no significant increase in  $Z_1^2$ , and we derived the following limits,  $-6 \times 10^{-15} < \dot{\nu} < 4 \times 10^{-15} \text{ Hz s}^{-1}$  ( $1\sigma$ ).

#### 4. Discussion and Summary

Our analysis of observations of J1706 with *NICER* obtained in 2017 August, October, and November confirms the discovery by SK17 that it is a 163.656 Hz AMXP, and allowed us to derive the orbital parameters of the system for the first time. The 37.97 minutes orbital period of J1706 is the shortest currently known for an AMXP, and our measurement confirms several previous indirect indications that the system is an ultracompact binary (Hernandez Santisteban et al. 2018; van den Eijnden et al. 2018). We measure a mass function,  $f_x = (m_d \sin i)^3 / (m_{ns} + m_d)^2 = ((a_x \sin i)^3 \omega_{\text{orb}}^2) / G = 9.12 \times 10^{-8} M_\odot$ , which is also the smallest among stellar binaries. The mass function defines a lower limit to the mass of the donor star,  $m_d$ . For a neutron star mass in the range from  $m_{ns} = 1.2\text{--}2 M_\odot$  we find a minimum donor mass in the range from 0.005 to 0.007  $M_\odot$ . Given the orbital period and a plausible range of total system mass, the separation between the components is of order 300,000 km, and would fit within the Earth–Moon distance.

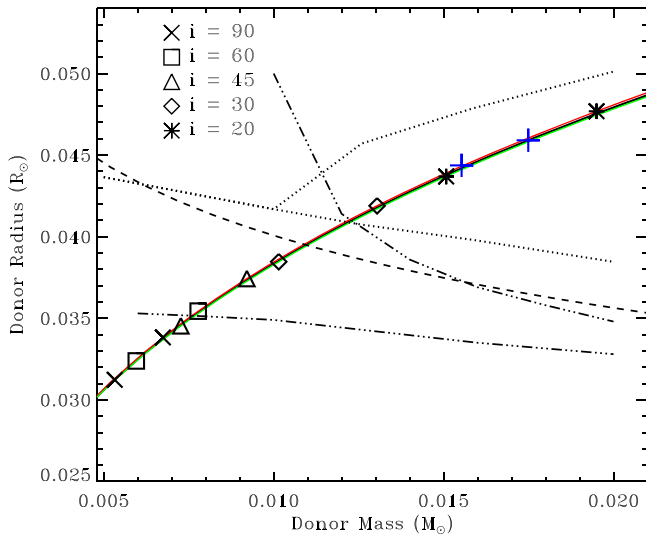
The reasonable assumption that the donor star fills its Roche lobe provides a constraint on the mean density of the donor. This can be expressed as a constraint on its radius in units of



**Figure 6.** Pulse phase residuals from *NICER* observations of J1706 as a function of mean pulsar longitude computed using the best orbit solution. The residual is plotted in units of pulsar phase (cycles), and the orbit-predicted phase delay is added to the residuals to show the orbital variations.

the component separation,  $a$ , that depends principally on the system’s mass ratio,  $q = m_d/m_{ns}$  (Eggleton 1983). We combine this constraint with that from the measured mass function to explore the implications for the nature of the donor star and the system’s orbital inclination.

Our results are summarized in Figure 7, which shows constraints on the donor mass and radius. We plot the Roche lobe constraint for three different neutron star masses, 1.2 (green), 1.4 (black), and 1.8  $M_\odot$  (red). The closeness of the three curves is a visual demonstration of how insensitive this constraint is to the assumed neutron star mass. The different symbols along the curve mark inferred donor masses from the mass function constraint for different assumed orbital inclinations,  $i$ , and for two values of the neutron star mass at each inclination. For each pair of symbols the left- and right-most correspond to a neutron star mass of 1.2 and 1.8  $M_\odot$ , respectively. The left-most symbol for  $i = 90^\circ$  marks the minimum donor mass for a 1.2  $M_\odot$  neutron star. First, we note that the constraints require hydrogen-deficient donors, as is expected for systems with an orbital period less than about 80 minutes (Rappaport & Joss 1984; Bildsten 2002). For additional context we show mass–radius relations obtained from the literature for several donor types. The dashed curve is the mass–radius relation for low-mass, cold, pure helium white dwarfs from Zepolsky & Salpeter (1969), as corrected by Rappaport & Joss (1984). Here we have plotted it using the fitting formula of Nelemans et al. (2001). The dotted curves denote a range of mass–radius values from the binary evolutionary calculations of Deloye et al. (2007) for the helium donors of AM CVn systems. The region between the upper and lower dotted curves gives an indication of the allowed range in mass and radius for donors at different evolutionary stages, and with different values of central degeneracy at the onset of mass transfer (see Deloye et al. 2007 for details). Lastly, the dashed–dotted curves show mass–radius relations for carbon white dwarfs with central temperatures of  $10^4$  (lower) and  $3 \times 10^6$  K (upper), from Deloye & Bildsten (2003). Thus, J1706 appears to be a somewhat more extreme example of the currently known



**Figure 7.** Constraints on the donor in J1706. The Roche lobe constraint is plotted for three different neutron star masses, 1.2 (green), 1.4 (black), and 1.8  $M_{\odot}$  (red). The different symbols along the curves denote donor masses from the mass function constraint for different assumed inclinations,  $i$ , and for two values of the neutron star mass at each inclination. For each pair of symbols the left- and right-most correspond to neutron stars of 1.2 and 1.8  $M_{\odot}$ , respectively. Also shown are mass–radius relations obtained from the literature for several donor types. The dashed curve is the fitting formula from Nelemans et al. (2001) that approximates the mass–radius relation for low-mass, cold, pure helium white dwarfs (Zapolsky & Salpeter 1969). The dotted curves denote a range of mass–radius values from the binary evolutionary calculations of Deloye et al. (2007) for the helium donors of AM CVn systems. The dashed–dotted curves show mass–radius relations for carbon white dwarfs with central temperatures of  $10^4$  (lower) and  $3 \times 10^6$  K (upper), from Deloye & Bildsten (2003). Lastly, the blue “+” symbols mark the masses and radii that would produce a long-term  $\dot{M} = 2.5 \times 10^{-11} M_{\odot} \text{ yr}^{-1}$  via gravitational radiation for neutron stars of 1.4 (higher value) and 2  $M_{\odot}$  (lower value, see Section 4 for further discussion).

ultracompact AMXPs (Krimm et al. 2007; Patruno & Watts 2012).

For a random distribution of inclination angles the chance probability to observe a system with an inclination less than or equal to  $i$  is  $1 - \cos(i)$ . The probability to observe an inclination angle less than or equal to  $\approx 18.2^\circ$  is 5%. From this, and assuming a 1.8  $M_{\odot}$  neutron star mass, we deduce a 95% confidence upper limit to the donor mass of 0.0216  $M_{\odot}$ , with a corresponding radius of 0.05  $R_{\odot}$ , which is substantially less than that of any hydrogen-rich brown dwarfs (Chabrier et al. 2000). We use this upper limit on the donor radius to place an upper limit on the inclination of  $\approx 84^\circ$ , as no eclipses are seen in the light curve.

Additional insight is provided by estimates of the long-term mass accretion rate,  $\dot{M}$ , and the realization that the mass transfer in such systems is driven by angular momentum loss due to gravitational radiation (Rappaport & Joss 1984; Bildsten & Chakrabarty 2001). Interestingly, for J1706 we have  $\dot{M}$  estimates from both persistent X-ray flux measurements and modeling of its thermonuclear X-ray bursts that are in substantial agreement (Keek et al. 2017), and suggest  $\dot{M} \approx 2.5 \times 10^{-11} M_{\odot} \text{ yr}^{-1}$ . This value for J1706 is also in general agreement with the calculations of  $\dot{M}$  versus  $P_{\text{orb}}$  reported by Deloye et al. (2007, see their Figure 15). Based on this, and the reasonable assumption that the donor responds to mass loss like a degenerate star (Bildsten & Chakrabarty 2001), we can estimate the donor mass as  $m_d = 0.0175(m_{\text{ns}}/1.4M_{\odot})^{-1/3} M_{\odot}$ . Using this result we additionally show in Figure 7 (with blue “+” symbols) the donor

masses and corresponding radii for neutron star masses of 1.4 and 2  $M_{\odot}$ , where the higher donor mass estimate corresponds to the lower-mass neutron star (1.4  $M_{\odot}$ ). These mass estimates further imply constraints on the binary inclination angle of  $19^\circ < i < 27.5^\circ$ , where the lower and upper bounds correspond to neutron star masses of 1.4 and 2  $M_{\odot}$ , respectively.

The constraints summarized in Figure 7 suggest that J1706 is observed at relatively low inclination, and the donor mass–radius constraints appear to be consistent with the helium donors of AM CVn systems explored by Deloye et al. (2007; dotted curves in Figure 7). We note that these authors also provide estimates of the expected orbital period evolution,  $\dot{P}_{\text{orb}}$ , for these systems. Given the observed orbital period of J1706, the predicted values are in the range  $\dot{P}_{\text{orb}} \approx (1-3) \times 10^{-6} \text{ s yr}^{-1}$ , which can be probed with additional *NICER* timing observations.

In principle, clues to the donor composition in a neutron star X-ray binary can be provided by the properties of its thermonuclear flashes. The energetic, long-duration burst events seen to date would appear to be consistent with the deep ignition of a helium-rich layer (Keek et al. 2017). As noted previously, under certain conditions the stable burning of accreted hydrogen into helium can result in helium-powered thermonuclear flashes (Fujimoto et al. 1981; Galloway & Cumming 2006). Our measurements confirm the previous indications for a hydrogen-deficient donor in J1706 (Hernandez Santisteban et al. 2018; van den Eijnden et al. 2018), and definitively rule out this option, as the accreted fuel cannot contain a significant fraction of hydrogen.

While a helium donor in J1706 appears quite plausible given the measurements presented here, as well as its bursting properties, prior X-ray spectroscopy results have suggested J1706 may have an oxygen-rich circumbinary environment, perhaps associated with an outflow (van den Eijnden et al. 2018). In addition, spectral modeling of the Fe K $\alpha$  reflection feature appears to favor a higher inclination than suggested by our constraint derived from the assumption of gravitational radiation-driven mass loss (Degenaar et al. 2017; Keek et al. 2017; van den Eijnden et al. 2018). Based on these indications, van den Eijnden et al. (2018) favor a CO or O–Ne–Mg white dwarf donor. Given the constraints on the donor summarized in Figure 7 this remains a viable option, particularly in the case of non-conservative mass transfer, as would occur in the presence of an outflow. However, such a conclusion would also open up additional questions, such as the nature of the fuel for the observed X-ray bursts, which is presumably helium (Keek et al. 2017), though we note that Hernandez Santisteban et al. (2018) did not detect helium in their optical spectra of J1706. Further to this final point, the bursting low-mass X-ray binary 4U 0614+091 is another source with apparently helium-powered X-ray bursts (Kuulkers et al. 2010), but with optical spectra that are suggestive of a CO donor with little to no helium (Nelemans et al. 2004; Werner et al. 2006). Additional observations will likely be needed to definitively pin down the nature of the donor in J1706.

While most AMXPs are transient systems, J1706 is distinctive in that it has been in outburst now for about a decade. This provides an exciting opportunity to study the long-term spin and orbital evolution with additional *NICER* observations. Moreover, we now have detections of pulsations from J1706 at two widely spaced epochs, in 2008 May with *RXTE*, and the present 2017 August, October, and November

observations with *NICER*. Interestingly, the source shows some indications of a significant change in pulsed amplitude in that time-frame. The estimated source pulsed amplitude measured by *SK17* with *RXTE* was  $9.4 \pm 1.1\%$  (2–12 keV), whereas we find  $2.04 \pm 0.11\%$  (0.3–3.2 keV) with *NICER*. We note that given the current uncertainties associated with modeling the *NICER* background, combined with the fact that the source count rate is dropping steadily above  $\approx 5$  keV, it is presently challenging to accurately determine the pulsed amplitude above this energy. Nevertheless, with the present data we can measure the pulsed amplitude in the 2–5 keV band with reasonable precision, and we find a value of  $3.2 \pm 0.3\%$ . Based on this we think it likely that the smaller amplitude measured by *NICER* is a real effect and likely represents some secular change within the system, perhaps associated with the effect of accretion on the magnetic field, as, for example, suggested by Patruno (2012). More definitive conclusions in this regard should become feasible as the *NICER* background calibration improves. We will pursue this, as well as searches for energy dependent phase lags and a detailed spectroscopic study in subsequent work.

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*Facilities:* *NICER*, ADS, HEASARC.

*Software:* HEASoft (v6.22; Arnaud 1996), mpfit (Markwardt 2009).

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